

6/1/61 BELVIN

PATSI — A Block Diagram Compiler for TX-2

Programming Aid To System Investigation

PATSI is a TX-2 compiler for system simulation. The simulation of a system — composed of elements like filters, adders, multipliers, gates, delays and the like — can be easily programmed from the block diagram of the system. A useful feature is the ability to connect a scope to any or all of the waveforms in the system, and observe the progress of the simulation. The user may also interact with his system through the use of various knobs and switches on the TX-2 console.

PATSI has been used in the simulation of several speech-compression devices, and has considerably lessened the burden of programming them.

A typical PATSI statement (one line of typing) describes one block or element in the block diagram. It must give the element a name, or tag; it must tell what type of element the block is; and it must specify the parameters of the block, such as the input(s), gain, frequencies, etc.

TAG → ELEMENT TYPE | PARAMETERS

For example,

Z → ADDER | X, Y, W13

describes an element called Z whose output is the sum of its inputs. These inputs are the outputs of the elements called X, Y, and W13.

The tag serves three purposes. It identifies the line in the PATSI program, it serves as the name of the element, and it is the name of the output of the element.

For a given element type, i. e., COSINE GENERATOR, ADDER, DELAY, the form of the statement, i. e., the order and meaning of the parameters, is found in the "DICTIONARY," along with the limitations and restrictions of the particular block. The dictionary form of ADDER, for example, is

ADDER | in1, in2, in3,

The last line of every program is "DONE. "

The following points should be kept in mind in the specification of parameters as numbers:

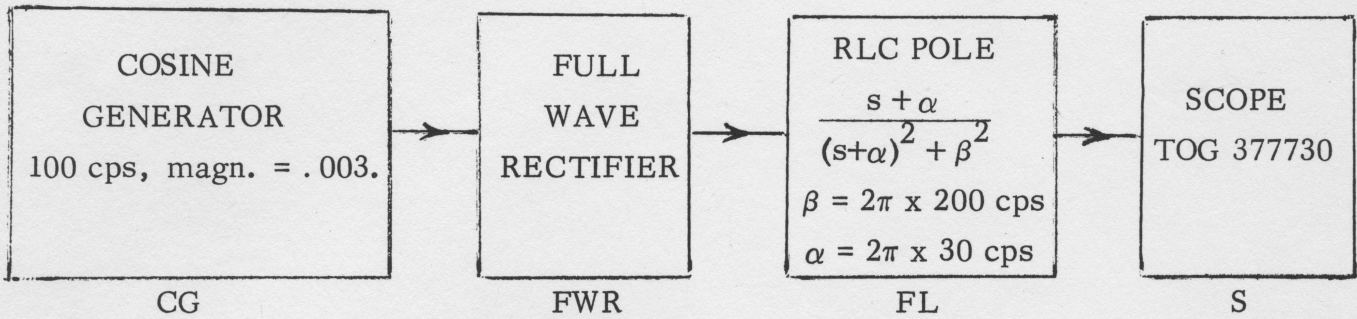
1. A number typed will be treated as base 8 (instead of base 10) unless followed by a period. Thus, when we mean a number to be decimal system, as we usually

Lights and Meanings

When the system simulated runs into trouble such as machine overflow, or when the system does something which results in an impossible situation, such as presenting the square root taker with a negative input, certain lights may be lit up to warn the user. Only the lights mentioned below are used. Other troubles may not be detected.

<u>Light Number</u>	<u>Meaning</u>
1	Output has filled core region allotted to it.
2	Modulator output has clipped.
3	Gain output has clipped.
4	Divider output has clipped.
5	Tried square root of negative quantity.
6	Not used.
7	Overflow for adder or difference.
8	Not used.
9	Not used.

Example:



Let the sampling rate be 10000/sec. The PATSI program is:

CG → COSINE GENERATOR | .01., .003.

FWR → FULL WAVE RECTIFIER | CG

FL → RLC POLE | FWR, .003., .02.

S → SCOPE | FL, 377730

DONE

ORDER OF COMPILED PROGRAM SAME AS ORDER OF
SYMBOLIC PROGRAM

PATSI Dictionary

I. Elements - the number in parenthesis is the page on which a description of the element may be found.

- (9) ADDER
- (9) ATTENUATE
- (10) BAND PASS FILTER
- (11) CLIP
- (12) CONTROLLED OSCILLATOR (square wave)
- (10) CONVOLVE
- (7) COSINE GENERATOR
- (9) DELAY
- (9) DIFFERENCE
- (11) DIVIDER
- (10) EXPOSINE ($h(t) = e^{-\alpha t} \sin \beta t$; $H(S) = \frac{\beta}{(s+\alpha)^2 + \beta^2}$)
- (11) FULL WAVE RECTIFIER
- (9) GAIN
- (11) GATE
- (11) GREATER OF
- (11) HALF WAVE RECTIFIER
- (7) INPUT (from core memory)
- (9) INVERTER
- (11) LIMITER
- (11) MODULATOR (multiplier)
- (7) NOISE GENERATOR
- (12) ONE SHOT (monostable multivibrator)
- (8) OUTPUT (to core memory)
- (11) PEAK DETECTOR
- (7) PERIODIC INPUT (from core memory)
- (10) RC POLE ($h(t) = \alpha e^{-\alpha t}$; $H(S) = \frac{\alpha}{s + \alpha}$)
- (10) RLC POLE ($h(t) = e^{-\alpha t} \cos \beta t$; $H(S) = \frac{s + \alpha}{(s+\alpha)^2 + \beta^2}$)
- (10) RLC ZERO ($H(S) = \frac{(s+\alpha)^2 + \beta^2}{\beta}$)
- (12) SAMPLE AND HOLD

- (8) SCOPE
- (9) SCOPE SYNC
- (12) **S**QUARE ROOT
- (12) SWITCH
- (7) VARIABLE RATE PULSER (hand controlled)
- (8) XYSCOPE
- (11) ZERO CROSSING PULSER

II. Control Statements - these are not elements, although they may relate to them.
The parenthesis again contain page numbers.

- (13) BRANCH UNLESS
 - (13) BREAK
 - (7) CHANGE COSINE FREQUENCY
 - (10) CHANGE EXPOSINE
 - (10) CHANGE RC POLE
 - (10) CHANGE RLC POLE
 - (10) CHANGE RLC ZERO
 - (13) MULTIPLY T BY
 - (13) RETURN
- } for moveable poles and zeros

3 3 DEFINE

3 3 DEF → ELEMENT | in1, in2, ...
X → Output Element | inj, ink, ...
Y → Other Element | in 0, in m, ...
!
3 3 END

INPUT | $\alpha \rightarrow \beta$

*use S-memory for Input/output
up to 130,000*

The output of this block at successive sampling times is the contents of successive registers of core memory.

$\alpha = \text{first}$ } Register of the area of core memory containing the desired
 $\beta = \text{last}$ } input waveform.

If the data is to be configured, the number of the configuration is superscripted after β , e. g., INPUT | 1 \rightarrow 100000¹²

When $\alpha \rightarrow \beta$ is used up (after $(\beta - \alpha)$ samples), we go to MKIV.

PERIODIC INPUT | $\alpha \rightarrow \beta$

This differs from the above only in that when $\alpha \rightarrow \beta$ is used up, we return to α . Thus the waveform in $\alpha \rightarrow \beta$ is repeated endlessly.

COSINE GENERATOR | F, M

F = cosine frequency as a fraction of the sampling frequency.

M = amplitude. It should be large, or the difference equation used will not be effective.

F should be greater than .00003.

The output of this block is a sample of $\cos 2\pi F/F_s t$. The corresponding sine wave ($\sin 2\pi F/F_s t$) is found at $X + 2$ where X is the tag of the cosine generator.

NOISE GENERATOR

No parameters. The output is a pseudorandom uniformly distributed noise sequence.

VARIABLE RATE PULSER | M

The output is normally 0. It is replaced with a one sample pulse of amplitude M periodically. The repetition rate is given by the contents of the left half of the KNOB.

pulse frequency = $\frac{\text{KNOB}_{3,4}}{4\,000\,000}$ x sampling frequency. -

really $\frac{\text{KNOB}_{3,4}}{2^{19}}$
 $= \frac{\text{KNOB}_{3,4}}{\frac{1}{2} \times 10^6}$?

CHANGE COSINE FREQUENCY | X, ω

X is the tag of the cosine generator affected. ω is the tag of an element whose

output is to control the frequency of X. The output of ω is taken as a fraction of the sampling frequency.

This operation is slow and should be done only once per several sampling times if possible.

OUTPUT | in, $\alpha \rightarrow \beta$

This element allows the waveform at "in" to be saved in core memory. α and β are as for INPUT. Configuration is allowed. α and β must be in S memory ($\alpha < \beta < 200000$). When $\alpha \rightarrow \beta$ is used up, new samples are ignored, and push button 1 lights up.

SCOPE | in, CT

in = tag of element whose output is fed to the scope.

CT = control toggle, used as follows:

4. 10 $\left\{ \begin{array}{l} 0 \text{ show waveform} \\ 1 \text{ do not show waveform} \end{array} \right.$

Q3 - sweep frequency. The number of samples corresponding to the scope face is given by $\frac{100000_8}{Q3}$.

Q2, Q4 are amplitude controls. Gain of scope = $.(Q2) \times 2^{(Q4)}$.

Q1 = vertical position control.

If several scopes are used, all the sweep rates are added together. Good practice is to set all but one to zero so that sweep rate control is by only one toggle register. (See scope sync.)

XYSCOPE | x, Cx, y, Cy

x = tag of horizontal input.

y = tag of vertical input.

Cx = Control toggle for horizontal input, Cy = control toggle for vertical input, as follows:

4. 10 as for SCOPE

Q2, Q4 as for SCOPE

Q1 = horizontal position control for Cx, vertical position control for Cy.

Q3 - not used.

SCOPE SYNC | $X > CT$

The output of X, and control toggle CT are used to control the scope as follows:

$$4.10 \text{ of } CT = \begin{cases} 0 & \text{no sync} \\ 1 & \text{see below} \end{cases}$$

If the scope trace has not reached the end of the screen nothing happens. If the scope trace has reached the end of the screen, the scope is turned off until the output of X is greater than the number in CT. When this happens, the scope is turned on again, and the trace reset to the left side of the scope face.

DELAY | in, N

The output of this element is the same as the output of "in" but delayed by N sampling intervals. N is a positive integer. DELAY uses some memory from 215777 down, as necessary.

GAIN | in, M

The output is the same as the output of "in" but with a gain of M. M is an integer, positive, negative, or zero. If the product is too big, ± 377777777777 is used, and push button 3 is lit.

ATTENUATE | in, k

Like GAIN, but k is a fraction, positive, negative, or zero.

The combination of GAIN and ATTENUATE can give any fixed multiplier.

INVERTER | in

A gain of -1.

ADDER | in1, in2, in3,

The output is the sum of the input waveforms. Overflow is detected and indicated by lighting push button #7, but not corrected. The number of inputs is limited to 12.

DIFFERENCE | in1, in2

The output is (in1) - (in2). Overflow is as for ADDER.

RC POLE | in, F

Sampled data equivalent of $H(S) = \frac{\alpha}{S + \alpha}$. Here F is α divided by the sampling frequency.

RLC POLE | in, F, G

Sampled data equivalent of $H(S) = \frac{S + \alpha}{(S + \alpha)^2 + \beta^2}$. Here

F is α divided by the sampling frequency.

G is β divided by the sampling frequency.

EXPOSINE | in, F, G

Sampled data equivalent of $H(S) = \frac{\beta}{(S + \alpha)^2 + \beta^2}$ α and β related to F, G as

in RLC POLE.

RLC ZERO | in, F, G

Sampled data equivalent of $H(S) = \frac{(S + \alpha)^2 + \beta^2}{\beta}$ α, β related to F, G as in RLC POLE.

CONVOLVE | in, $\alpha \rightarrow \beta$

α is the first and β is the last register of an area of core memory containing the function to be convolved with the waveform at "in." This is brute force simulation of filters, and is very slow. Some memory is used from 215777 down as needed.

BAND PASS FILTER | in, F1, G1, F2, G2,

A cascade of up to 6 RLC Poles. In addition to the theoretical delay, there is a delay of one sampling interval for each RLC POLE used after the first.

CHANGE RLC POLE | X, α, β
CHANGE EXPOSINE | X, α, β
CHANGE RLC ZERO | X, α, β
CHANGE RC POLE | X, α

These permit moveable poles and zeros. α and β are tags of control elements, and X is the tag of the element whose poles or zeros are to be moved. The output of α corresponds to F and the output of β corresponds to G.

These are slow, and should be used in conjunction with "MULTIPLY T BY | N" when possible.

GATE | in, C in

"in" is the waveform to be gated. C in is the control waveform.

$$\text{output} = \begin{cases} 0^- & \text{Cin} \leq 0 \\ (\text{in}) & \text{Cin} > 0 \end{cases}$$

GREATER OF | in1, in2

The output is the greater of the two inputs.

HALF WAVE RECTIFIER | in
FULL WAVE RECTIFIER | in

These are self-explanatory. The HALF WAVE output is 0^- for negative input.

ZERO CROSSING PULSER | in, M

The output is 0^- except following a zero crossing when it is M. The direction of the zero crossing is not noted.

PEAK DETECTOR | in, M

The output is normally 0^+ . Following a positive peak (\wedge), the output is a pulse of height M. Following a negative peak (\vee), the output is a pulse of height -M.

LIMITER | in, M

$$\text{output} = \begin{cases} M, \text{in} \geq 0^+ \\ -M, \text{in} \leq 0^- \end{cases}$$

CLIP | in, T > B

$$\text{output} = \begin{cases} T, \text{in} \geq T \\ \text{in}, T \geq \text{in} \geq B \\ B, B \geq \text{in} \end{cases} \quad \text{T and B are fixed levels, with } T > B.$$

MODULATOR | in1 x in2
DIVIDER | in1/in2

The output of MODULATOR is the product of the inputs, scaled appropriately. The product of fractions is scaled 17. places to the left. The product of integers are scaled 19. places to the right. DIVIDER is the inverse, so a ratio of fractions is

scaled 17. places to the right, and a ratio of integers is scaled 19. places to the left. Outputs which are too large are replaced by ± 37777777777 and push button #2 for the modulator or #4 for the divider are lit.

SQUARE ROOT | in

The input is treated as a fraction. Thus $\sqrt{in} \geq in$. If (in) is negative, the square root of the magnitude is taken, and push button #5 is lit.

SWITCH | Cin, POSin, NEGin

The output is taken from $\begin{cases} POSin & Cin \geq 0^+ \\ NEGin & Cin \geq 0^- \end{cases}$

ONE SHOT | Sin, M, ONTIME

This has two states. In the off state, the output and next state are:

$\begin{cases} 0^- \text{ and off if } Sin \leq 0 \\ M \text{ and on if } Sin > 0 \end{cases}$

ONTIME ≤ 2 ?

In the on state, the output and next state are:

$\begin{cases} M \text{ and off if the ON state has lasted "ONTIME" sampling intervals.} \\ M \text{ and on if the ON state has not lasted "ONTIME" sampling intervals.} \end{cases}$

ONTIME is an integer greater than 0.

SAMPLE AND HOLD | in, Cin

Output = $\begin{cases} (in), & Cin > 0 \\ \text{last output}, & Cin \leq 0 \end{cases}$

CONTROLLED OSCILLATOR | in, M

The output is a square wave of amplitude M and frequency given by the waveform at "in," according to the formula

$$f = \frac{\cdot(in)}{2} \times \text{sampling frequency}$$

BREAK
 ⋮
 RETURN

These are used together. A conventional program placed in between will be executed once each time around the loop.

MULTIPLY T BY |N

The program or elements following this line are changed or performed only once every N times around the loop. Thus, they seem to have a sampling rate of $\frac{F}{N}$ s, or a sampling interval of NT. N is a positive integer. *Sampling rate can not be divided subsequently. See below.*

These may be nested so that program parts following two of these statements are looked at every MxN times around the loop.

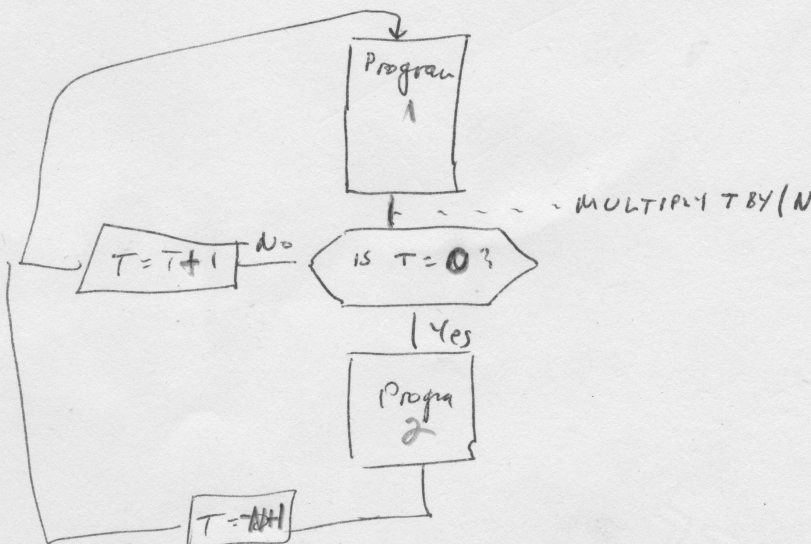
BRANCH UNLESS | F = α , → X

The simulation will interrupt the normal sequence of control and proceed to line X, except if the output of F is equal to α .

For example, to show a dashed line representation of a function on the scope:

MX → COSINE GENERATOR | F, .1
 BRANCH UNLESS | X = 100, → X
 SCOPE | Y, CT
 X → LIMITER | MX, 100

PS - This assumes that "sweep rate" is given by some other scope which is looked at every time around the loop.



∴ goes thru Program 2 first time.

```

REP STARTΔ→SSΔγ
STARTΔ→1STE BACKΔ **SAVE MARK 4 RETURN ADDRESS
      RFD60ΔBEGIN
INS SKIPNSEQA
      REX47 INPUTΔγ **INITIALIZE SEQ 47
      IOS47 30000 **CONNECT MISC INPUTS
INS DSALΔγ
INPUTΔγ→ STE P **SEQ 47 START POINT. SAVE E.
      hTSD XXΔγ
      3STE #+1
1IOS75 30000 **SET LIGHTS = INPUT BUTTON
SKZ1.9 XXΔγ **BUTTON 9 MEANS QUIT
      JMP QUITΔγ
      SKZ1.8 XXΔγ **BUTTON 8 MEANS PRINT, IF MACRO USED
DUMPΔγ→ JMP #+1 **RESET BY DUMPΔ MACRO IF USED
      LDE P
      JPD INPUTΔγ **RETURN TO PATSI
QUITΔγ→ IOS60 20000 **DISCONNECT SCOPE AND LOWER FLAG
      IOS60 40000
QUIT1Δ→ RFD70 #+1
      REX47 INPUTΔγ **RESET SEQ 47 COUNTER
BACKΔ→ JPQ ## **RETURN TO MARK 4
END

```

33 REP CONTINUE+4 αβγ → RETURN

Δ OREG

STARTD →

SSD →

NOSYNCD →

33 PC

↑ FULLSCOP Δ
 0
 ↳ SCOP Δ

2000 24
 25
 26
 51
 52
 53
 54
 55
 56
 70
 60
 61
 117
 124
 129
 130
 145
 151
 152
 166
 182

CON 1
 1
 CON 4
 CON 5
 604 353 33 0333
 -43,
 -1,
 26848636414.

S WGEN Δ

LIMIT Δ

OVAD Δ

↳ 17,
 MODUL Δ
 ATTEN Δ

↳ CON CON
 SAV Δ | 0 → 39., X1
 SAV Δ | 40. → 1039., Y1
 Δ

DD →

⋮

FRE OGIX 030

** Reset, Loric flag + dismiss (seg 0) - go to ΔBEGIN in sequence 60.

110000
92000
4

200000	000000	200204	P	RFD 60 ΔBEGIN
001	301260	200242		SKN 4.10 *CONΔ2
002	430601	600337		3 JPX CON *CONΔ4
003	001600	377604		DPX A
004	022400	200350		2 LDA SNIP
005	007700	200024		SUB { FULLSCOPEΔY }
006	004700	200002		JNA SSΔY+1
007	031702	200041		MKN 4.2 { SCOPΔ } +13
200010	001260	200012		REX 60 #+2
011	001660	600051		DPX 60 CON 1
012	301712	600335		SKN 4.10 *CONΔ2
013	140500	200020		JPQ NOSYNΔY
014	002400	377610		LDA E
015	007700	600333		SUB *CONΔ0
016	004600	200002		JPA SSΔY+1
017	101600	200350		10 DPX SNIP
200020	001260	200001		REX 60 SSΔY
021	001660	600051		DPX 60 CON 1
022	021702	200041		MKZ 4.2 { SCOPΔ } +13
023	430601	600337		3 JPX CON *CONΔ4

NOSYNΔY→

FFRC

200024	000000	773777		FULLSCOPEΔY
025	000000	000000		0
026	002400	600333		SCOPA
027	201712	600335		LDA *CONΔ0
200030	000500	200043		SKZ 4.10 *CONΔ2
031	117600	377610		JMP #+13
032	007200	377610		11 MUL E
033	366700	377610		SAB E
034	352400	377610		36 ADD E
035	306700	200025		35 LDA E
036	227000	200350		30 ADD { 0 }
037	216700	377610		22 SCA SNIP
200040	213400	200350		21 ADD E
041	405700	377604		21 STA SNIP
042	430601	600337		4 TSD A
043	352400	377610		3 JPX CON *CONΔ4
044	306700	200025		35 LDA E
045	227000	200350		30 ADD { 0 }
046	216700	377610		22 SCA SNIP
047	213400	200350		21 ADD E
048	405700	377604		21 STA SNIP

** SCOPE (in T06, gives in, E SCOPΔ3, T06

432L
 ** CONFIR 36 → 32.14
 43.21
 4.3.2.1
 21.43
 43.21

** X coord : 4.9-3.9
 Y coord : 2.9-1.9

(left ordered)
 - signed 1's complement NOS

FRE OGIX 031

3 JPX CON*CONΔ4

CON 1

CON 4

CON 5

* CON FIGURATIONS

604353330333

-43.

-1.

26848636454.

SWGENDY

REX 60#+20

DPX 60|CON 1

LDA CON 3

MUL { 26848636454. }

JPQ COSAΔ

JREX 60 2

MUL A

ADD A

SUB ALLΔ

JJNX 60#-3

STA CON 3

MUL A

COM A

ADD ALLΔ

JPQ SORTAΔ

STA CON 4

LDA CON 4

MUL CON 2

STA DΔ

LDA CON 3

MUL CON

SUB DΔ

EXA CON

MUL CON 4

STA DΔ

LDA CON 2

MUL CON 3

ADD DΔ

STA CON 2

5 JPX CON*CONΔ6

LIMITΔY

LDA CON 3

SKZ 4.9 *CONΔ2

COM A

STA

200050 430601 600337
 051 000001 000001
 052 000000 000001
 053 000001 000004
 054 000001 000005
 055 604353 330333
 056 734000 000000
 057 776000 000000
 200060 310023 327046

061 001260 200101
 062 001660 600051
 → 063 002401 000003
 064 007600 200060
 065 140500 200351
 066 011260 000002
 067 007600 377604
 200070 006700 377604
 071 007700 200464
 072 410760 200067
 073 003401 000003
 074 007600 377604
 075 005600 377604
 076 006700 200464
 077 140500 200377
 200100 003401 000004
 101 002401 000004
 102 007601 000002
 103 003400 200202
 104 002401 000003
 105 007601 000000
 106 007700 200202
 107 005401 000000
 200110 007601 000004
 111 003400 200202
 112 002401 000002
 113 007601 000003
 114 006700 200202
 115 003401 000002
 116 450601 600341

117 002401 000003
 200120 201711 600335
 121 005600 377604
 122 003401 000000

4 JPX CON *CONΔ5
 OVADΔY
 1 STE #+2
 MKN 1.7 CONTINUE
 JPQ
 17.,

MODULΔY
 LDA *CONΔ2
 MUL *CONΔ3
 2 JJA #+6
 2 JNA #+5
 3 ADD { 0 }
 SAB { 17., }
 STA CON
 4 JPX CON *CONΔ5
 MKN 1.2 CONTINUE
 3 ADD { 0 }
 SAB 44Δ
 DSA ALLΔ
 JPQ #-6

ATTENΔY
 LDA *CONΔ2
 MUL CON 3
 STA CON
 4 JPX CON *CONΔ5
 CON
 SAVΔY|0→39.,X1

ADX 6 |CON
 RSX Δ#+12
 LDE X1
 STE Δ (39.Δ (177777))
 1 JNX Δ#+5
 REX Δ#+3
 DPX Δ |CON 1
 MKN 1.1 CONTINUE
 2 JPX CON *CONΔ3
 DPX Δ#+2
 2 JPX CON *CONΔ3
 (0-39.) V (177777600000)

SAVΔY|40→1039.,Y1
 ADX 6 |CON
 RSX Δ#+12
 LDE Y1
 STE Δ (1039.Δ (177777))
 1 INV # 1

123 440601 600340
 124 013000 200126
 125 031727 200471
 126 140500 000000
 127 021000 000000

200130 002400 600335
 131 007600 600336
 132 214600 200140
 133 214700 200140
 134 306700 200025
 135 007200 200127
 136 003401 000000
 137 440601 600340
 200140 031722 200471
 141 306700 200025
 142 007200 200465
 143 006500 200464
 144 140500 200136

145 002400 600335
 146 007601 000003
 147 003401 000000
 200150 440601 600340
 151 000001 000000

152 001506 600151
 153 001103 200165
 154 402000 200476
 155 003003 000047
 156 410703 200163
 157 001203 200162
 200160 001603 600051
 161 031721 200471
 162 420601 600336
 163 001603 200165
 164 420601 600336
 165 777777 777730

166 001506 600151
 167 001103 200201
 200170 402000 200525
 171 003003 002017
 172 410703 200177

REX Δ #+3
 DPX Δ | CON 1
 MKN 1.1 CONTINUE
 2 JPX CON *CONΔ3
 DPX Δ #+2
 2 JPX CON *CONΔ3
 (40*-1039*)V(7777776000000)

173 001203 200176
 174 001603 600051
 175 031721 200471
 176 420601 600336
 177 001603 200201
 200200 420601 600336
 201 777777 776030
 202 000000 000000
 203 000000 000000
 204 000000 000000
 205 000000 000000
 206 000000 000000
 207 000000 000000
 200210 000000 000000
 211 000001 237054

DA→
 LASQRTΔ→
 P→
 SQRTOFΔ→
 TSΔY→
 XΔY→
 IN7→

200212 002400 200241 DSALΔY→
 213 013400 200223
 214 003401 000003
 215 006701 000004
 216 007700 200052
 217 003400 200241
 200220 001160 377610
 221 001600 377604
 222 140500 200225
 223 061260 000000
 224 140500 200227
 225 003460 000000
 226 410660 200223
 227 001260 200231
 200230 001660 600051
 231 001160 600053
 232 410760 200234
 233 001160 600054
 234 001660 600053
 235 002400 600335
 236 005460 600336
 237 003401 000000
 200240 460601 600342
 241 000000 215777 ALΔ2→
 242 000460 030200 ΔBEGIN→
 243 001206 000001
 244 001600 200470
 245 342200 200055
 200250 011202 000061

LDA ALΔ2
 1 STA RCLΔY
 STA CON 3
 ADD CON 4
 SUB { 1 }
 STA ALΔ2
 RSX 60 E
 DPX A
 JPQ #+3
 SXL 60
 JPQ #+3
 STA 60
 1 JPX 60 RCLΔY
 REX 60 #+2
 DPX 60 | CON 1
 RSX 60 | CON 4
 1 JNX 60 #+2
 RSX 60 | CON 5
 DPX 60 | CON 4
 LDA *CONΔ2
 EXA 60 *CONΔ3
 STA CON
 6 JPX CON *CONΔ7
 DELAY BLOCK
 IOS 60 30200
 REX 6 1
 DPX TIME 321
 34 SPG { 604353330333 }
 1 REV

** DELAY (min) is defined by
 0
 DSAL ΔY
 in
 0 -m
 1-n

Store first
 usable address
 for Delay in
 L(RCLΔY) and
 set new address
 in ALΔ2.

normal entry for delay after setup

* Low intensity, Left raster origin Main Scope

** Set TIME = 0
 RSX 0 MINUS 8-03